[4M]



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Siddharth Nagar, Narayanavanam Road – 517583

QUESTION BANK (DESCRIPTIVE)

Subject with Code : Strength of Materials-I (16CE103)	Course & Branch: B.Tech - CE
Year & Sem: II-B.Tech & I-Sem	Regulation: R16

UNIT –I

SIMPLE STRESSES AND STRAINS & STRAIN ENERGY

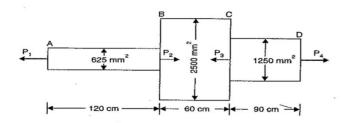
a) A rod 150 cm long and of diameter 2.0 cm is subjected to an axial pull of 20 kN. If the modulus of elasticity of the material of the rod is 2x10⁵ N/ mm²; determine : the Stress, Strain and Elongation of the rod.

b) Define Poisson's ratio and Factor of safety.

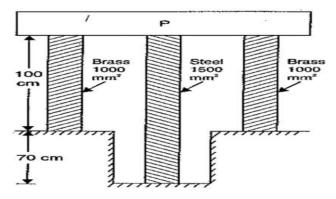
- 2. a) Fid the Young's Modulus of a brass rod of diameter 25 mm ad of length 300 mm subjected to a tensile load of 60 kN when the extension of the rod is equal to 0.2 m. [7M]
 b) Write the classification of stresses. [3M]
- 3. The following data refer to a mild steel specimen tested in a laboratory:
 - (i) Diameter of the specimen = 25 mm
 - (ii) Length of specimen = 300 mm
 - (iii) Extension under a load of 15 kN = 0.045 mm
 - (iv) Load at yield point = 127.65 kN
 - (v) Maximum load = 208.6 kN
 - (vi) Length of specimen after failure= 375 mm
 - (vii) Neck diameter = 17.75 mm

Determine (a) Young's modulus (b) Yield stress (c) Ultimate stress (d) Percentage of elongation (e) Percentage in reduction area. [2M+2M+2M+2M]

4. A member ABCD is subjected to point loads P_1 , P_2 , P_3 and P_4 as shown in figure. Calculate the force P_2 necessary for equilibrium, if P_1 =45 kN, P_3 =450 kN and P_4 =130kN. Determine the total elongation of the member, assuming the modulus of elasticity to be 2.1 x 10⁵ N/ mm² [10M]



5. Two brass rods and one steel rod together supports a load as shown in fig. If the stresses in brass and steel are not to exceed 60 N/mm² and 120 N/ mm², find the safe load that can be supported. Take E for steel = $2x10^5$ N/ mm² and for brass = $1x10^5$ N/ mm². The cross-sectional area of steel rod is 1500 mm² and of each brass rod is 1000 mm². [10M]



- 6. A steel bar 50 mm wide, 12 mm thick and 300 mm long is subjected to an axial pull of 84 kN. Find the changes in the length, width, thickness and the volume of the bar. [10M]
- 7. Derive the relation between Young's Modulus (E), Rigidity Modulus (G) and Bulk Modulus (K).

[10M]

- 8. A rectangular block 250 mm x 100 mm x 80 mm is subjected to axial load as follows: 480kN tensile in the direction of its length, 1000 kN compressive on the 250 mm x 100 mm faces and 900 kN tensile on 250 mm x 80 mm. Assuming Poisson's ratio as 0.25, find in terms of modulus of elasticity of the material E, the strain in the direction of force. If $E = 2 \times 10^5 \text{ N/ mm}^2$, find the values of the modulus of rigidity and bulk modulus for the material of the block. Also calculate the change in volume of the block. [10M]
- 9. A tension bar 5 m long is made up of two parts, 3m of its length has a cross-sectional area 10 cm² while the remaining 2 m has a cross-sectional area of 20 cm². An axial load of 80 kN is gradually applied. Find the total strain energy produced in the bar and compare this value with that obtained in a uniform bar of the same length and having the same volume when under the same load. Take $E= 2 \times 10^5 \text{ N/}$ mm². [10M]

10. The modulus of rigidity for a material is 0.51 x 10⁵ N/ mm². A 10 mm diameter rod of a material was subjected to an axial pull of 10 kN and the changes in diameter was observed to be 3 x 10⁻³ mm. Calculate Poisson's ratio, E and K.

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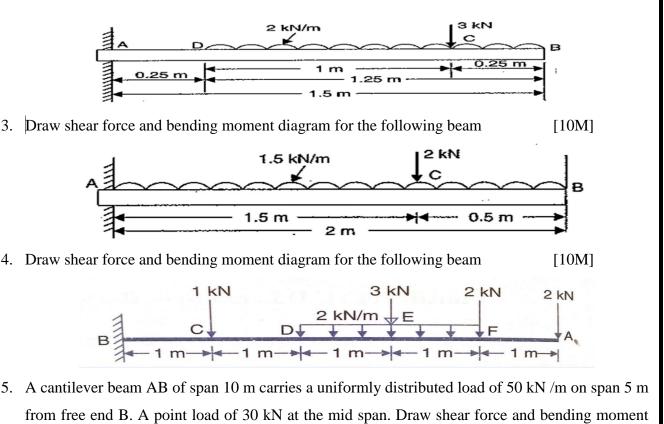
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UNIT –II

SHEAR FORCE AND BENDING MOMENT

- 1. Draw shear force and bending moment diagram for cantilever beam subjected to uniformly distributed load. [10M]
- 2. Draw the shear force and bending moment diagram for the cantilever beam shown in figure.

[10M]

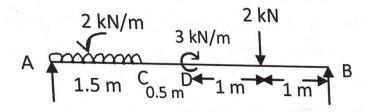


6. Draw shear force and bending moment diagram for the following beam [10M]

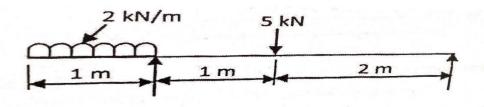
diagrams.

[10M]

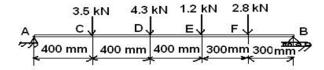
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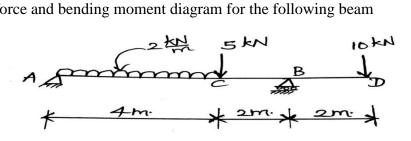
7. Draw shear force and bending moment diagram for the overhanging loaded as show in fig. And also locate the point of contra-flexure. [10M]



8. Draw the shearing force and bending moment diagrams for the beam shown in figure. [10M]



- 9. Draw the SFD and BMD for simply supported beam carrying uniformly distributed load of whole length and also derive equation for it. [10M]
- 10. Draw shear force and bending moment diagram for the following beam [10M]



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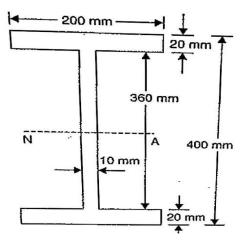
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<u>UNIT –III</u>

THEORY OF SIMPLE BENDING AND SHEAR STRESS DISTRIBUTION

- 1. Derive the bending equation M/I = f/y = E/R Writing all the assumptions made. [10M]
- A cast Iron beam is of T- section has the following dimensions Flange: 100 mm x 20 mm Web: 80 mm x 20 mm. The beam is simply supported on a span of 8 meters and carries a uniformly distributed load of 1.5 KN/m length of entire span. Determine the maximum tensile and compressive stresses. [10M]
- A rolled steel joist of I section has a dimensions as shown in fig. This beam of I section carries a uniformly distributed load of 40 kN /m run on a span of 10 m, calculate the maximum stress produced due to bending. [10M]



4. A beam is simply supported and carries a uniformly distributed load of 40KN/m run over the whole span. The section of the beam is rectangular having depth as 500mm. If the maximum stress in the material of the beam is 120 N/mm² and moment of inertia of the section is 7 x 10 ⁸ mm⁴, find the span of the beam. [10M]

An I-section has the following dimensions
 Flanges: 150 mm x 20 mm Web: 310 mm x 10 mm. If the shear force acting on the section is 40 KN. Calculate the maximum shear stress developed in I-section and stress distribution diagram.

[10M]

- 6. A simply supported wooden beam of span 1.3 m having a cross section 150 mm wide and 250 mm deep carries a point load W at the center. The permissible shear stress is 7 N/mm² in bending and 1 N/mm² in shearing. Calculate the safe load W. [10M]
- A rectangular beam 100 mm wide and 250 mm deep is subjected to a maximum shear force of 50 KN. Determine i) Average shear stress ii) Maximum shear stress iii) Shear stress at a distance of 25 mm above neutral axis. [10M]
- 8. An I-section has 100 mm wide and 12 mm thickness, a web of 120 mm height and 10 mm thickness. The section is subjected to bending moment of 15 KN-m and shear force of 10 KN. Find the maximum bending stress and maximum shear stress and draw shear stress distribution diagram.
 [10M]
- 9. A simply supported beam carries a uniformly distributed load of intensity 30 N/mm over the entire span of 2 m. The cross section of beam is a T-section having flange 125 x 25 mm and web 175 x 25 mm. Calculate the maximum shear stress for the section subjected to maximum shear force. Also draw the shear stress distribution. [10M]
- 10. The shear force acting on a beam at a section is 'F'. The section of the beam is triangular base b and of an altitude h. The beam is placed with its base horizontal. Find the maximum shear stress and the shear stress at the neutral axis.
 [10M]

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<u>UNIT –IV</u>

DEFLECTIONS OF BEAMS

- Derive the expression for slope and deflection of a simply supported beam carrying a point load at centre using double integration method. [10M]
- 2. A beam of length 6 m is simply supported at its ends and carries a point load of 40 kN at a distance of 4 m from the left support. Find the deflection under the load and maximum deflection. Also calculate the point at which maximum deflection takes place. Given moment of inertia of beam is $7.33 \times 10^7 \text{ N/mm}^2$ and $\text{E} = 2 \times 10^5 \text{ N/mm}^2$. Use Macaulay's method. [10M]
- 3. A beam 6 m long, simply supported at its ends, is carrying a point load of 50 kN at its center. The moment of inertia of the beam is given as equal to 78 x 10⁶ mm⁴ and. If E for the material of the beam = 2.1 x 10⁵ N/mm², calculate: (i) deflection at the centre of the beam and (ii) slope at the supports.
 [10M]
- 4. A beam of uniform rectangular section 200 mm wide and 300 deep is simply support at its ends. It carries a uniformly distributed load of 9 kN/m run over the entire span of 5 m. If the value of E for the beam material is 1 x 10⁴ N/mm², find :
 - (i) Slope at the supports and (ii) Maximum deflection. [10M]
- Derive the expression for slope and deflection of a simply supported beam carrying a uniformly distributed load by Mohr's theorem. [10M]
- 6. A cantilever of length 3m carries a uniformly distributed load over the entire length. If the deflection at the free end is 40 mm, find the slope at the free end. [10M]
- Derive the expression for slope and deflection of a cantilever beam carrying a point load at the free end by Moment Area method. [10M]

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8. Derive the expression for slope and deflection of a simply supported beam carrying a uniformly distributed load of w per unit length over the entire length using double integration method.

[10M]

- 9. A beam of length 5 m of uniform rectangular section is supported at its ends and carries a uniformly distributed load over the entire length. Calculate the depth of the section if the maximum permissible bending stress is 8 N/mm² and central deflection not to exceed 10 mm. Take $E = 1.2 \times 10^4 \text{ N/mm}^2$. [10M]
- 10. A simply supported beam carries a UDL of 20 kN/m over its span of 8 m. Determine the slope at the ends and the deflection at mid span by moment area method if $E = 200 \text{ G N/m}^2$ and $I= 30,000 \text{ cm}^4$. [10M]

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<u>UNIT –V</u>

CONJUGATE BEAM METHOD AND TORSION OF CIRCULAR SHAFTS AND SPRINGS

- Derive the expression for slope and deflection of a simply supported beam with a point load at the center by Conjugate beam method. [10M]
- A cantilever beam of length 3m carries a uniformly distributed load of 80 kN/m over the entire length. If E= 2 x 10⁸ kN/m² and I=1 x 10⁸ mm⁴, find the slope and deflection at the free end using conjugate beam method. [10M]
- 3. A Simply supported beam of length 5 m carries a point load of 5 kN at a distance of 3 m from left end. If $E = 2 \times 10^5 \text{ N/mm}^2$ and $I = 1 \times 10^8 \text{ mm}^4$ for the beam, determine: (i) slope at left support and (ii) deflection under the point load using conjugate beam method. [10M]
- 4. A cantilever beam of length 3 m carries a point load of 10 kN at a distance of 2 m from the fixed end. If E=2 x 10⁵ N/mm² and I = 1 x 10⁸ mm⁴, find the slope and deflection at the free end using conjugate bean method. [10M]
- 5. A tensile test, a test piece 25 mm in diameter, 200 mm gauge length stretched 0.0975 mm under a pull of 50,000 N. In a torsion test the same rod twisted 0.025 rad over a length of 200 mm, when a torque of 400 Nmm was applied. Evaluate the Poisson's ratio and the three elastic moduli for the material.
 [10M]
- 6. A solid shaft of 200 mm diameter has the same cross sectional area as that of a hollow shaft of the same material with inside diameter of 150 mm. Find the ratio of the power transmitted by the hollow shaft by the same speed.
 [10M]
- A hollow shaft of external diameter 120 mm transmits 300 kW power at 200 r.p.m. (rotations per minute) Determine the maximum internal diameter if the maximum stress in the shaft is not exceeded to 60 N/mm². [10M]

- A hollow shaft is to transmit 300kW power at 80 rpm. If the shear stress is not exceed 60 N/mm² and the internal diameter is 0.6 of the external diameter. Find the external and internal diameters assuming that the maximum torque is 1.4 times the mean. [10M]
- 9. A solid circular shaft transmits 75 kW power at 200 rpm. Calculate the shaft diameter, if the twist in the shaft is not to exceed 1^0 in 2 m length of shaft, and shear stress is limited to 50 N/mm². Take C= 1 x 10^5 N/mm². [10M]
- 10. A closely coil helical spring of round steel wire 10 mm in diameter having 10 complete turns with a mean diameter of 12 cm is subjected to an axial load of 200 N. Determine : (i) Deflection of the beam spring (ii) Maximum shear stress in the wire and (iii) Stiffness of the spring. Take C= 8x10⁴ N/mm². [10M]

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<u>UNIT –1</u>

SIMPLE STRESS AND STRAINS & STRAIN ENERGY

1) Stress is		[]
A) External force	B)Internal resistive force		
C) Axial force	D)Radial force		
2) Following are the basic types of stress ex	cept	[]
A) Tensile stress	B)Compressive stress		
C) Shear stress	D)volumetric stress		
3) When tensile stress is applied axially on a	a circular rod its	[]
A) Diameter decreases	B)length decreases		
C)Volume does not change	D)All of the above		
4) When compressive stress is applied axial	ly on a circular rod its	[]
A) Diameter decreases	B)length decreases		
C)Volume does not change	D)All of the above		
5) Tensile Strain is		[]
A)Increase in length / original length	B)Decrease in length / original length		
C)Change in volume / original volume	D)All of the above		
6) Compressive Strain is		[]
A)Increase in length / original length B)Dec	rease in length / original length		
C)Change in volume / original volume	D)All of the above		
7) Volumetric Strain is		[]
A)Increase in length / original length B)Dec	rease in length / original length		
C)Change in volume / original volume	D)All of the above		
8) Hooke's law is applicable within		[]
A) Elastic limit	B)Plastic limit		

	QUESTION BAN	JK 2	018
C) Fracture point	D)Ultimate strength		
9) Young's Modulus of elasticity is	_ ,	[]
A) Tensile stress / Tensile strain	B)Shear stress / Shear strain	L	1
	near stress / Tensile strain		
10) Modulus of rigidity is		[]
A) Tensile stress / Tensile strain	B)Shear stress / Shear strain	-	-
C)Tensile stress / Shear strain	D)Shear stress / Tensile strain		
11) Bulk modulus of elasticity is		[]
A) Tensile stress / Tensile strain	B)Shear stress / Shear strain		
C)Tensile stress / Shear strain D)No	ormal stress on each face of cube / Volumetric	strain	
12) Factor of safety is		[]
A)Tensile stress / Permissible stress	B)Compressive stress / Ultimate stress		
C)Ultimate stress / Permissible stress D)Ul	timate stress / Shear stress		
13) Poisson's ratio is		[]
A)Lateral strain / Longitudinal strain B)Sh	ear strain / Lateral strain		
C)Longitudinal strain / Lateral strain	D)Lateral strain / Volumetric strain		
14) The total extension in a bar, consists of	f 3 bars of same material, of varying sections is	s []
A)P/E(L1/A1+L2/A2+L3/A3)	B)P/E(L1A1+L2A2+L3A3)		
C)PE(L1/A1+L2/A2+L3/A3) D)PE	E(L1/A1+L2/A2+L3/A3)		
15) The relationship between Young's modely	dulus (E), Bulk modulus (K) and Poisson's rati	ο (μ) i Γ	s given
5	$P(\mu)C) E=2K(1-2\mu)$ D)E=2K(1-3 μ)	L]
· · · · · · · · ·	dulus (E), Modulus of rigidity (C) and Bulk me	odulus	(K) is
given by		[]
A)E=9CK/(C+3K)	B)E=9CK/(2C+3K)		
C) E=9CK/(3C+K)	D)E=9CK/(C-3K)		
17) The total extension of a taper rod of lea (P), is given of	ngth 'L' and end diameters 'D1' and 'D2', sub	jected [to a load]
A) 4PL/ПЕ. D1D2	B)3PL/ПЕ. D1D2		
C) 2PL/ПЕ. D1D2	D)PL/ПЕ. D1D2		
18) The deformation per unit length is call	ed	[]
A)tensile stress B)compressive stres	ss C)shear stress D)strain		
19) The maximum energy stored at elastic	limit of a material is called	[]

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(A)resilience (B) p	roof resilience (C) r	nodulus of resilience	(D) bulk resilience		
20) The region in the	e stress-strain curve ex	stending from origin to	proportional limit is	[]
(A)plastic range	(B) elastic range ((C) semi plastic range	(D) semi elastic rang	ge	
21) A rigid body ha	s Poisson's ratio equal	to		[]
A) 0 B) 1	C) less than	1 D) greater th	an one		
22) The ratio of stres	ss and strain is known	as		[]
A) Modulus of elasti	city	B) Young's modulus	5		
C) Both a. and b.		D) None of the abov	/e		
23) The actual break	king stress in stress-st	rain diagram is the ratio	o of	[]
	oint and original cross	-			
	oint and reduced cross				
C)maximum load an	d original cross-sectio	onal area			
	ginal cross-sectional a				
	/Ipa, 150 Mpa and 160	106 mm ³ . What is the o Mpa respectively. (As C) 1500 mm ³	ssume $K = 2 \times 105 \text{ N/m}$		
,		es acting tangentially to		v is call	ed as
A) Complementary s		B) Compressive stre		ſ	1
C) Shear stress		D)Tensile stress		L	1
,	lity is the ratio of	,		ſ	1
A) Lateral strain and	-	B) Linear stress and	lateral strain	L	1
C) Shear stress and s		D) Shear strain and			
27) The relation betw	veen modulus of elast	icity (E), modulus of ri		odulus ([(K) is]
A) K+G / (3K+ G)	B) 3 KG / (3K+G)	C) 3 KG / (9K+G)	D) 9 KG / (3K+G)		
,	modulus of a materia ssive force of 2.5 x 10	l, if a cube of 100 mm (06 N?	changes its volume to	4000 m [m3 when]
A) 62.5 Gpa	B) 65 Gpa	C) 67.5 Gpa	D) 70 Gpa		
29) When a rectangu	ılar bar is uniaxially lo	baded, the volumetric st	train (ev) is given as	[]
A) $\sigma_x / E(1-\mu)$	B) $\sigma_x / E(1+\mu) C)\sigma_x$	$E / E(1-2\mu)$ D) σ_x	/ E(1+2µ)		
30) Every material o	beys the Hooke's law	within		[]
A) Elastic limit	D) Diastia limit	C) Limit of proporti		1	
A) Elastic IIIIIt	B) Plastic limit	C) Limit of proporti	onality D) None of t	nese	

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A) Elasticity	B) Plasticity	C) Creep	D) None of these		
33) Which of the following the	lowing material is more	e elastic?		[]
A) Rubber	B) Glass	C) Steel	D) Wood		
34) The percentage e	elongation and the perce	entage reduction in are	ea depends upon	[]
A) Tensile strength of	of the material	B) Ductility of the m	aterial		
C) Toughness of the	material	D)None of these			
35)The property of a	material by which it ca	an be beaten or rolled	into thin sheets, is calle	ed []
A) Elasticity	B) Plasticity	C) Ductility	D) Malleability		
36) The property of a called	a material by which it c	an be drawn to a smal	ler section by applying	; a ten [sile load is]
A) Elasticity	B) Plasticity	C) Ductility	D) Malleability		
37) If a material has	identical properties in a	all directions, it is calle	ed	[]
A) Elastic	B) Plastic	C) Isotropic	D) Homogeneous		
38) If a material has	identical properties in a	all directions, it is calle	ed	[]
A) Elastic	B) Plastic	C) Isotropic	D) Homogeneous		
39) Units of strain A) cm/cm	B) m/m	C) N/cm ²	D) No unit	[]
40) The ratio of later	ral strain to linear strain	n is called		[]
A) Modulus of Elast	icity	B) Modulus of Rigid	lity		
C) Bulk Modulus		D) Poisson's Ratio			

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<u>UNIT –II</u>

SHEAR FORCE & BENDING MOMENT

1) A beam is a structural member which is	subjected to	[]
A) Axial tension or compression	B) Transverse loads and couples		
C) Twisting moment	D) No load		
2) Which of the following are statically det	erminate beams?	[]
A) Only simply supported beams	B) Cantilever, overhanging and simply su	pported	
C) Fixed beams	D) Continuous beams		
3) A cantilever is a beam whose		[]
A) Both ends are supported either on rollers	s or hingesB) One end is fixed and other en	d is free	
C) Both ends are fixed	D) Whose both or one of the end has over	hang	
4) In a cantilever carrying a uniformly varyi The shear force diagram isA) A horizontal line parallel to x-axis	ng load starting from zero at the free end, B) A line inclined to x-axis	[]
C) Follows a parabolic law	D) Follows a cubic law		
5) In a cantilever carrying a uniformly va	rying load starting from zero at the free	end, the	Bending
moment diagram is		[]
A) A horizontal line parallel to x-axis	B) A line inclined to x-axis		
B) Follows a parabolic law	D) Follows a cubic law		
6) In a simply supported beam, bending more	ment at the end	[]
A) Is always zero if it does not carry coupleB) Is zero, if the beam has uniformly distribC) Is zero if the beam has concentrated loadD) May or may not be zero	puted load only		
7) For any part of the beam, between two co	oncentrated loads Shear force diagram is a	[]

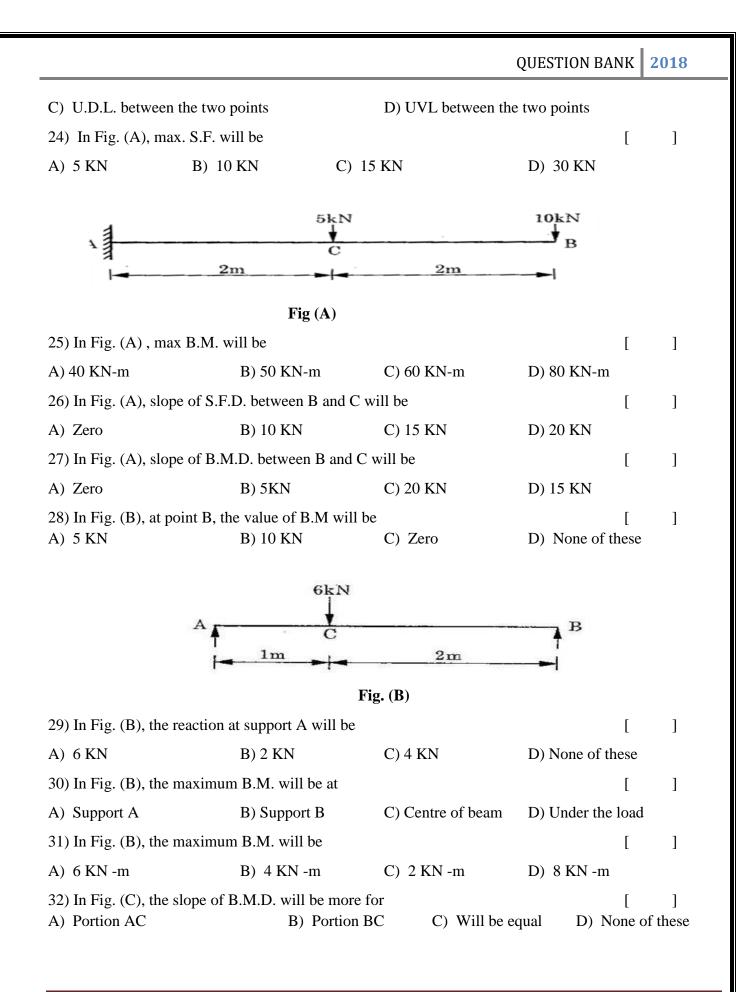
STRENGTH OF MATERIALS-I

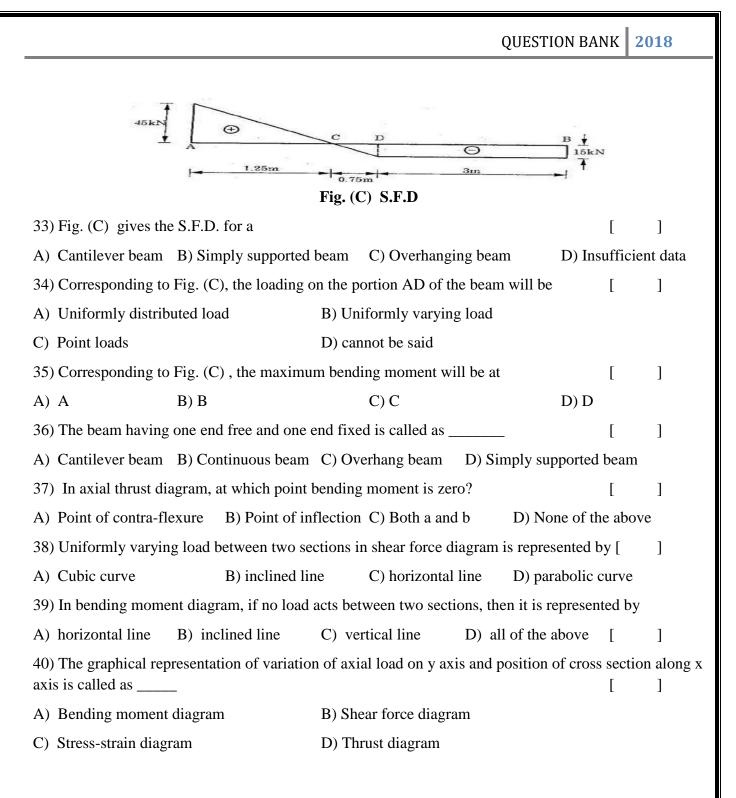
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A) Horizontal straight-line	B) Vertical straight line		
B) Line inclined to x-axis	D) Parabola		
8) For any part of a beam between two con	centrated loads, bending moment diagram is	a []
A) Horizontal straight-line	B) Vertical straight line		
C) Line inclined to x-axis	D) Parabola		
9) For any part of a beam subjected to unif	ormly distributed load, Shear force diagram is	8 []
A) Horizontal straight line	B) Vertical straight line		
C) Line inclined to x-axis	D) Parabola		
10) For any part of a beam subjected to uni	formly distributed load, bending moment dia	gram is	
A) Horizontal straight-line	B) Vertical straight line	[]
C) Line inclined to x-axis	D) Parabola		
11) A sudden jump anywhere on the Bendin	ng moment diagram of a beam is caused by	[]
A) Couple acting at that point	B) Couple acting at some other point		
C) Concentrated load at the point	D) u.d.l or u.v.l on the beam		
12) In a simple supported beam having len	gth = 1 and subjected to a concentrated load (W) at m	id-point.
A) Maximum Bending moment = $Wl/4$ at	the mid-point	[]
B) Maximum Bending moment = $Wl/4$ at	the end		
C) Maximum Bending moment = $Wl/8$ at	the mid-point		
D) Maximum Bending moment = Wl/8 at	the end		
13) In a simply supported beam subjected t total load=W, maximum Bending moment	o uniformly distributed load (w) over the ent is	ire leng [th (l),]
A) Wl/8 or wl ² /8 at the mid-point	B) Wl/8 or wl ² /8 at the end		
C) Wl/4 or wl ² /4	D) W1/2		
14) In a cantilever subjected to a concentra bending moment is	ted load (W) at the free end and having lengt	h =l, Ma [aximum]
A) Wl at the free end	B) Wl at the fixed end		
C) W1/2 at the fixed end	D) Wl at the free end		
15) An axle is subjected to loads as shown		[]

				QUESTION BAN	NK 2	018
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Maximum ben	iding mom	ient is				
A) Wl	B) W(C) Wa	D) W(l+A)		
16) At a point in a	simply su	pported or overhanging	ng beam where Shear f	force changes sig	n and =	= 0,
Bending moment i	is				[]
A) Maximum	B) Zei	ro	C) Either increasing	g or decreasing	D) Int	finity
·	5	to a combination of c ximum bending mome	concentrated load, unife	ormly distributed	l load a [und]
A) Where shear for	orce=0	B) At the free end	C) At the fixed end	1 D) At the mic	1-point	
18) Point of contra	a-flexure is	s a			[]
A) Point where Sl	hear force	is maximum				
B) Point where be	nding mor	nent is maximum				
C) Point where be	nding mor	nent is zero				
D) Point where Be	ending mor	ment=0 but also chan	ges sign from positive	to negative		
19) Point of contra	a-flexure is	s also called			[]
A) Point of maxim	um Shear	force	B) Point of maximu	um Bending mom	ient	
C) Point of inflex	ion		D) Fixed end			
20) The slope of s	hear force	line at any section of	the beam is also called	d	[]
A) Bending mome	ent at that s	section	B) Rate of loading a	at that section		
C) Maximum Shea	ar force		D) Maximum bendi	ing moment		
21) 1. In a simply of contraflexure w			ormly distributed load	over the left half	span, †	the poin]
A) Left half span	of the bear	m	B) Right half span of	of the beam.		
C) Quarter points	of the bea	ım	D) Does not exist			
22) A sudden incr	ease or dec	crease in shear force d	liagram between any tw	wo points indicat	es that	there is
A) No loading bet	tween the	two points	B) Point loads betw	een the two poin	ts[]
C) U.D.L. betwee	n the two	points	D) None of these			
23) When the ben	ding mome	ent is parabolic curve	between two points, it	t indicates that the	ere is	
A) No loading bet					ts[1

STRENGTH OF MATERIALS-I





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QUESTION BANK (OBJECTIVE)

Subject with Code: Strength of Materials-I (16CE103) Course & Branch: B.Tech - CE

Year & Sem: II-B.Tech & I-Sem

Regulation: R16

<u>UNIT–III</u>

THEORY OF SIMPLE BENDING AND SHEAR STRESSES

1) Which of th	ne machine component	is designed un	der bending stress?	[]
A) Shaft	B) Arm of a lever	C) Key	D) Belts and roj	pes	
2) For bendin	g equation to be valid,	radius of curva	ture of the beam after b	ending should be	
A) Equal to it	ts transverse dimension	S	B) Infinity	[]
C) Very large	e compared to its transv	erse dimensior	ns D) Double its tr	ansverse dimension	ns
3) Neutral ax	is of a beam always co	incides with		[]
A) Axis passi	ing through bottom of b	beam	B) Axis passing throug	h height h/2 from b	ottom
C) Axis passi	ng through height h/3 f	from bottom	D) Axis passing throug	gh centroid	
4) Moment of	f resistance of a beam			[]
A) Is equal to	safe maximum bendir	g moment to w	hich it can be subjected		
B) Is equal to	any bending moment	to which it is su	ıbjected		
C) Is equal to	or less than maximum	bending mom	ent to which it is subject	ed	
D) Is equal to	or more than maximum	m bending mor	nent to which it is subje	cted	
5) Section mo	odulus of a beam is alw	ays given by fo	ormula	[]
A) Пd^3/32	B) bd^2/6	C) I/y(max)	D) I/y		
6) Moment of	Inertia of a rectangular	r section about	any axis=	[]
A) bd^3/12	B) db^3/12		C) bd^3/12 + Ax^2	D) πd^4/64	
Where b=wid	th, A=Area of cross sec	tion, d=depth	for rectangular section a	nd diameter of circ	ular
sections, x=di	stance between the cen	troid of the sec	tion from the axis		
7) Two beams	s have same length and	same weight a	nd same material. One b	eam has solid circu	ılar
section and of	her hollow circular sec	tion with outsid	le diameter/inside diame	eter ratio=K and ha	ving
moment of res	sistance=M, then			[]
A) both beam	s will have same streng	th in terms of I	M		
B) Solid bear	n will have more streng	gth in terms of	Μ		
C) Hollow bea	am will have more stre	ngth in terms o	f M and it will be a func	tion of K	

D) Hollow beam will have more strength in terms of M and it will be independent of K 8) If depth of a beam is doubled then changes in its section modulus [1] A) Will remain same B) Will decrease C)Will be doubled D) Will increase by 4 times 9) Centroid of a section is [1] A) About which $[y^2dA = 0$ B) About which $[ydA = 0$ C) About which $[y^2dA = 0$ D) About which $[x^2y^2dA = 0$ 10) Variation of shear stress in a beam has [1] A) Parabolic variation B) Linear variation C) Cubical variation B) Linear variation C) Cubical variation D) None [1] A) Shear force B) Bending moment C) Shear force as well as bending moment D) None 12) Bending stress will be least at the extreme fibers for [1] A) Maximum area of cross section B) Maximum moment of inertia C) Maximum sect on modulus D) None 13) Moment of resistance of a beam should be [1] A) Greater than the bending moment D) None 14) Variation of bending stress in a beam has (2) Two times the bending moment D) None 15) Tensile and compressive stresses in a beam of symmetrical section are [1] A) of $= \sigma $ B) $\sigma + \sigma $ C) $\sigma < \sigma $ D) None 17) Bending stress in a beam has (3) $A \sigma = \sigma $ B) $\sigma + \sigma $ C) $\sigma < \sigma $ D) None 17) Bending stress in a beam are maximum at the [1] A) $\sigma t = \sigma $ B) $\sigma + \sigma $ C) $\sigma = \sigma$ D) None 17) Bending stresses in a beam are maximum at the (3) $A \sigma = \sigma $ B) $\sigma + \sigma $ C) $G = \sigma $ D) None 17) Bending stresses in a beam is zeero at the (4) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 19) Bending stresses in a beam is zeero at the (4) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 19) Bending stresses in a beam is zeero at the (3) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 20) Shear stress in a beam is zeero at the (4) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 21) Variation of shear stress in a beam has (2) Shear stress in a beam is zeero at the (3) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 22) Variation of shear stress in a beam has (4) Parab		QUESTION B.	ANK	2018
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A) Parabolic variation B) Linear variation C) Cubical variation D) None	, , , , , , , , , , , , , , , , , , , ,		[]
	,		-	-
			[]

QUESTION BANK 2018 A) Shear force B) Bending moment C) Shear force as well as bending moment D) None 24) Bending stress will be least at the extreme fibres for ſ 1 A) Maximum area of cross section B) Maximum moment of inertia C) Maximum section modulus D) None 25) Moment of resistance of a beam should be 1 ſ A) Greater than the bending moment B) Less than the bending moment C) Two times the bending moment D) None 26)Variation of bending strain in a beam has Γ 1 A) Parabolic variation B) Linear variation C) Cubical variation D) None 27) The section modulus of a circular section about an axis through its C.G., is ſ] A) $\pi d^{2}/4$ B) $\pi d^2/16$ C) $\pi d3/16$ D) $\pi d3/32$ 28) If a part is constrained to move and heated, it will develop ſ 1 B) Tensile stress C) Compressive stress D) Shear stress A) Principal stress 29) The assumption made in Euler's column theory is that ſ] A) The failure of column occurs due to buckling alone B) The length of column is very large as compared to its cross-sectional dimensions C) The column material obeys Hooke's law D) All of the above 30) Modular ratio of two materials is the ratio of 1 Γ D) Moduli and elasticity A) Strains B) Stress and strain C) Shear stress and shear strain 31)Tensile and compressive stresses in a beam of symmetrical section are Γ 1 A) $\sigma t = \sigma c$ C) $\sigma t < \sigma c$ D) None B) $\sigma t > \sigma c$ 32) Tensile and compressive stresses in a beam of un-symmetrical section are Γ 1 A) $\sigma t = \sigma c$ B) $\sigma t = 0$ C) $\sigma c = 0$ D) None 33) Bending stresses in a beam are maximum at the 1 Γ A) Centeroidal axis B) Extreme fibres C) Geometric axis D) None 34) Shear stress in a beam is maximum at the ſ 1 C) Geometric axis A) Centeroidal axis B) Extreme fibres D) None 35) Bending stresses in a beam is zeero at the 1 ſ C) Geometric axis A) Centeroidal axis B) Extreme fibres D) None 36) Shear stress in a beam is zero at the 1 ſ A) Centeroidal axis B) Extreme fibres C) Geometric axis D) None

			QUESTION BANK	2018
37) Variation of bending st	resses in a beam have		[]
A) Parabolic variation	B) Linear variation	C) Cubical variation	D) None	
38) Variation of shear stres	s in a beam has		[]
A) Parabolic variation	B) Linear variation	C) Cubical variation	D) None	
39) A beam is designed on	the basis of		[]
A) Shear force		B) Bending moment		
C) Shear force as well as be	ending moment	D) None		
40) Bending stress will be	least at the extreme fib	res for	[]
A) Maximum area of cross	section B) M	laximum moment of ine	ertia	
C) Maximum section modu	ilus D) N	lone		

PREPARED BY: R. NAVEEN KUMAR REDDY

S. SUDHA



Year & Sem: II-B.Tech & I-Sem

SIDDHARTH GROUP OF INSTITUTIONS :: PUTTUR

Siddharth Nagar, Narayanavanam Road – 517583

QUESTION BANK (OBJECTIVE)

Subject with Code : Strength of Materials-I (16CE103)

Course & Branch: B.Tech - CE **Regulation:** R16

<u>UNIT–IV</u>

DEFLECTION OF BEAMS

1) Distance of maxim	num deflection from th	ne center in a S.S.Beam with "	W' not at the c	enter w	ill be
A) $[2(L^2-b^2)/3]^{0.5}$	B) $[(L^2-b^2)/3]^{0.5}$	C) $[(3L^2-b^2)/3]^{0.5}$	D) None	[]
2) Maximum slope i	n a cantilever beam wi	th a moment M at the free end	will be	[]
A) 3ML/EI	B) 2ML/EI	C) ML/EI	D) None		
3) Maximum deflect	ion in a cantilever bear	m with a moment M at the free	e end will be	[]
A) 3M ² L/2EI	B) 2M ² L/2EI	C) M ₂ L/2EI	D) None		
4) Which bracket is	used in Macaulay's Me	ethod of slope and deflection		[]
A) Parentheses ()	B) sq	uare brackets []			
C) braces { }	D) No	one			
5) Difference in slop	es between two points	A and B by the moment area	method is give	n by[]
A) Area of BMD bet	ween A and B/2EI	B) Area of BMD bet	ween A and B/	/3EI	
C) Area of BMD bet	ween A and B/EI	D) None			
6) Difference in defl	ections between two po	oints A and B by the moment a	area method is	given b	у[]
A) (Area of BMD be	etween A and B). XB/2	2EI B) (Area of BMD be	tween A and B	B) . XB	/3EI
C) (Area of BMD be	etween A and B) . XB /	(EI D) None			
7) In the strain energ	y method of slope and	deflection, load is applied		[]
A) Gradually	B) Suddenly	C) With an impact	D) None		
8) A prop is used to	cause			г	1
				[]
A) Less deflection	B) More deflection	C) No change in deflection	D) None	L]
A) Less deflection9) Props can be used		C) No change in deflection	D) None	[]
9) Props can be used	in	C) No change in deflectionS. beam as well as cantilever	D) None D) None		
9) Props can be used A) S.S.Beam B) Ca	in	S. beam as well as cantilever	,		
9) Props can be used A) S.S.Beam B) Ca	in antilever beam C) S.S	S. beam as well as cantilever	D) None	[]]
 9) Props can be used A) S.S.Beam B) Ca 10) Deflection due to A) Long beams 	in intilever beam C) S.S. o shear is significant in	S. beam as well as cantilever ms C) Long as well as	D) None	[]]

	QUESTIO	N BANK	2018
12) Slope is found by moment area method	by using	ſ	1
A) First moment of the area	B) Second moment of the area	L	1
C) Third moment of the area	D) None		
13) Deflection is found by moment area met	· ·	г]
A) First moment of the area	B) Second moment of the area	L	1
C) Third moment of the area	D) None		
14) Props are used to decrease	D) None	r	1
_	pro as well as deflection D) Non]
	ope as well as deflection D) None	; r	1
15) Deflection due to shear force as compar	-	L]
A) Equal B) Less	C) More D) None		. 1
16) Deflection under a concentrated load no	of at the center (distance a from left supp	bort and dis	_
from right hand support) will be			
, , , , , , , , , , , , , , , , , , , ,	,	D) None	
17) Macaulay's method is more convenient	for beams carrying	[]
A) Multi concentrated loads	B) Multi number of UDL		
C) Multi-concentrated and multi UDL loads	D) None		
18) A beam is designed on the basis of		[]
A) Maximum deflection B) Minimum	deflection C) Maximum slope	D) None	
19) A beam is designed on the basis of		[]
A) Maximum bending moment	B) Minimum shear force		
C) Maximum bending moment as well as fo	or maximum shear force D) None		
20) The second moment of a circular area al $\frac{\pi D^4}{4}$ B) $\frac{\pi D^4}{16}$ C) $\frac{\pi D^4}{32}$	bout the diameter is given by (D is the optimized by $\frac{\pi D^4}{64}$	liameter).[]
21) Moment of resistance of a beam should		Г	1
A) Greater than the bending moment	B) Less than the bending moment	L	1
C) Two times the bending moment	D) None		
22) Variation of bending strain in a beam ha	,	[]
A) Parabolic variation B) Linear vari	iation C) Cubical variation D) None		
23) Strain energy is the		[]
A) energy stored in a body when strained v			
B) energy stored in a body when strained u			
C) maximum strain energy which can be stoD) proof resilience per unit volume of a ma	-		
24) A vertical column has two moments of		will tend to	buckle in
the direction of the		[]
	erpendicular to the axis of load	L	-
	nimum moment of inertia		
25) The neutral axis of the cross-section a b		tress is[]
A) zero B) minimum	c) maximum D) infinity	г	1
26) Euler's formula holds good only for	C) both short and long solutions)	J
A) short columns B) long columns	C) both short and long columns	D)weak colu	unnis

QUESTION BA	NK	2018
27) The object of caulking in a riveted joint is to make the jointA) free from corrosion.B) stronger in tension	[]
C) free from stresses D) leak-proof		
28) A steel bar of 5 mm is heated from 15° C to 40° C and it is free to expand. The bar V	Nill ir	nduce
A) no stress B) shear stress C) tensile stress d)compressive stress		
29) A body is subjected to a tensile stress of 1200 MPa on one plane and another tensile		
MPa on a plane at right angles to the former. It is also subjected to a shear stress of 400 N	ИРа о	
same planes. The maximum normal stress will be	[]
A) 400 MPa B) 500 MPa c) 900 MPa D) 1400 MPa	1	1 . 0
30) Two shafts 'A' and 'B' transmit the same power. The speed of shaft 'A' is 250 r.p.m	. and	that of
shaft 'B' is 300 r.p.m. The shaft 'B' has the greater diameter.	L	J
 A) True B) False C) not correct D) none of them 31) The stress induced in a body, when suddenly loaded, is the stress induced 	ad wi	oon tha
same load is applied gradually.	r F	
A) equal to B)bone-half C) twice D)four times	L]
32) Maximum deflection in a S.S.Beam with 'W' not at the center will be	ſ]
A) Wb $(L2 - b2)1.5/3\sqrt{3}EI$ B) Wb $(L2 - b2)1.5/6\sqrt{3}EI$	L	1
C) Wb $(L2 - b2)1.5/9\sqrt{3}EI$ D) None		
33) Deflection under the load in a S.S.Beam with 'W' not at the center will be	ſ]
A) 4Wa2b2/3EIL B) 2Wa2b2/3EIL C) Wa2b2/3EIL D) None		
34) Difference in slopes between two points A and B by the moment area method is give	n by[]
A) Area of BMD between A and B/2EI B) Area of BMD between A and B/3EI	•	
C) Area of BMD between A and B/EI D) None		
35) Difference in deflections between two points A and B by the moment area method is	-	•
A) (Area of BMD between A and B) . XB/2EI B) (Area of BMD between A and B)) . XB	3/3EI
C) (Area of BMD between A and B). XB /EI D) None		
36) Which one method is the best for finding slope and deflection	[]
A) Double integration methodB) Macaulay 's method		
C) Strain energy method D) None	F	1
37) Slope at a point in a beam is the	[]
A) Vertical displacement B) Angular displacement C) Horizontal displacement	D) r	None
38) Deflection at a point in a beam is the	L]
A) Vertical displacement C) University displacement D) None		
C) Horizontal displacement D) None39) Identify the differential equation for finding slope and deflection	г	1
A) EI $d2y/dx2 = -M$ B) EI $d2y/dx2 = +M$	L]
C) EI $d2y/dx2 = \pm M$ D) None		
40) Maximum deflection in a S.S. beam with W at centre will be	ſ	1
to, maximum denociton in a 5.5. beam with w at contro win be	L	1
A) WL3/36EI B) WL3/24EI C) WL3/48EI D) None		

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S. SUDHA

STRENGTH OF MATERIALS-I



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QUESTION BANK (OBJECTIVE)

Subject with Code : Strength of Materials-I (16CE103)

Course & Branch: B.Tech - CE

Year & Sem: II-B.Tech & I-Sem

Regulation: R16

<u>UNIT-5</u>

THIN CYLINDERS AND THICK CYLINDERS

1) The hoop stress in a thin cylinder of diameter d and thickness t is subjected to pressure p is						
A) pd/2t	B) pd/4t	C) pd/t	D) 2pd/t		[]
2) The design	of thin cylindri	cal shell is base	ed on		[]
A) hoop stress	B) volu	umetric stress	C) longitudinal stress D) non	e		
3) A large cyli	ndrical vessel	was sealed in s	ummer. What is likely to happ	en to it in winte	er?	
A) explode	B) buckle and	collapse	C) seal will get loosened	D) none	[]
4) A cylindric	al vessel is said	l to be thin if th	e ratio of its internal dimensio	n to wall thickr	iess	
A) less than 20)	B) equal to 20	C) more than 20	D) none	[]
5) The longitudinal stress in a thin cylindrical shell of diameter d ,length l, and thickness t,when subjected to internal pressure p is []]	
A) pd/4t	B) pd/2t	C) 2pd/t	D) 4pd/t			
6) The maxim	um shear stress	in a thin cylin	drical shell, when subjected to	o internal pressu	ire p is [equal to]
A) pd/4t	B) pd/8t	C) pd/2t	D) pd/t			
7) The maxim A) pd/4t	um shear stress B) pd/8t	in a thin spher C) pd/2t	rical shell , when subjected to D) zero	internal pressu	re p is e [equal to]
8) The hoop stress in a thin spherical shell, when subjected to internal pressure p is equal to						
A) pd/4t	B) pd/8t	C) pd/2t	D) zero		[]
9) The circum equal to	ferential strain	in case of thin	cylindrical shell, when subject	ed to internal p	ressure [p is]

A) pd/2tE { $\frac{1}{2}-1/m$ } B) pd/2tE { 1-1/2m} C) pd/4tE { 1-1/m} D) 3pd/4tE{1-1/m}

10) The longitudinal strain in case of thin cylindrical shell, when subjected to internal pressure p is equal to []

A) pd/2tE { $\frac{1}{2}-1/m$ } B) pd/2tE {1-1/2m} C) pd/4tE {1-1/m} D) 3pd/4tE {1-1/m}

11) The strain in any direction in case of thin cylindrical shell, when subjected to internal pressure p is equal to []

A) pd/2tE { $\frac{1}{2}-1/m$ } B) pd/2tE {1-1/2m} C) pd/4tE {1-1/m} D) 3pd/4tE{1-1/m}

12) The volumetric strain in case of thin cylindrical shell, when subjected to internal pressure p is equal to []

A) pd/2tE { $\frac{1}{2}-1/m$ } B) pd/2tE { 1-1/2m} C) pd/4tE { 1-1/m} D) 3pd/4tE{1-1/m}

13) The circumferential strain in case of thin cylindrical shell ,when subjected to internal fluid pressure p is []

A) more than diametral strain B) less than diametral strain C) equal to diametral strain D) none

14) In case of thick cylinders ,at any point the 3 principal stresses [

A) are all tensile B) are all compressive C) are all shear stresses D) none

15) The radial pressure ,at any radius x in case of thick spherical shell subjected to internal pressure p is equal to []

A) $(2b/x^3) - a$ B) $(b/x^3) + a$ C) $(x^3/2B) - a$ D) $(x^3/B) + a$

16) The circumferential stress ,at any radius x in case of thick spherical shell subjected to internal pressure p is equal to []

A) $(2b/x^3) - a$ B) $(b/x^3) + a$ C) $(x^3/2B) - a$ D) $(x^3/B) + a$

17) The ratio of the tensile stress developed in the wall of a boiler in the circumferential direction to the tensile in the axial direction is []

A) 4 B) 3 C) 2 D) ¹/₂

18) The circumferential stress is always _____ the longitudinal stress []

A) Equal to B) less than to C) twice D) none

19) If the hoop stress in a thin cylinder is 20 N/mm², then its longitudinal stress is []

A) 10 N/mm² B) 20 N/mm² C) 5 N/mm² D) 8 N/mm²

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QUESTION BA	NK	2018
20) The hoop stress in case of thick cylinder is maximum at	[]
A) inner circumference B) outer circumference C) longitudinal direction D) n	none	
21) The hoop stress in case of thick cylinder is minimum at	[]
A) inner circumference B) outer circumference C) longitudinal direction D) r	none	
22) The lame's theorm is applicable only for	[]
A) thin cylinders B) thick cylinders C) both a and b D) none		
23) The hoop stress in case of thin cylinders are reduced by	[]
A) wire winding B) shrinking one cylinder over other C) both a & b D) none		
24) The hoop stress in case of thick cylinders are reduced by	[]
A) wire winding B) shrinking one cylinder over other C) both a & b D) none		
25) Torsional rigidity of a shaft is given by	[]
A) T/G B) T/J C) GJ D) TJ		
26) If a shaft subjected to pure twisting moment, an element on the surface is subjected to) []
A) normal tensile stress B) normal compressive stress C) pure shear stress	D) ł	bending
27) The moment on a pulley which produces rotation is called	[]
A) inertia B) momentum C) moment of momentum D) torque		
28) Circular shafts ,under pure torsion are subjected to stresses	[]
A) axial B) tensile C) bending D) shear		
29) The ratio of maximum shear stress to the maximum longitudinal stress in a shaft sub	jected	-
uniform torque is $(A = A) = (A = A$	L]
A) $\frac{1}{2}$ T/M B) 1.0 T/M C) 1.5 T/M D) 0.375 T/M	г	1
30) Torsional rigidity of a shaft is an index of the	[]
A) power transmitted B) shear stress sustained C) deformability D) failure load	г	г
31) Torsional rigidity of a shaft of diameter D is proportional to $(A) D = D D^2 = C D^4 = D D^3$	[]
A) D B) D^2 C) D^4 D) D^3		

STRENGTH OF MATERIALS-I

QUESTION B	ANK	2018	
32) Shear stress trajectories in a shaft subjected to torsion are]]	
A) straight lines B) helical curves C) straight lines and curves D) none			
33) Torsion equation is valid for	[]	
A) any cross section B) prismatic shafts C) circular prismatic shafts D) none			
34) The maximum power a shaft can transmit propotional to	[]	
A) shaft length B) shaft diameter C) cube of shaft diameter D) none			
35) A thin circular tube under torsion is likely to fail	[]	
A) by buckling B) in compression C) in tension D) in shear			
36) Torsional rigidity of shaft is	[]	
A)twisting moment B)torsional stiffness per unit length C)twist per unit length	D)ı	none	
37) The maximum shear stress produced in a shaft is 5 N/mm ² . The shaft is of 40 mm d	liamete	er. The	
value of twisting moment is	[]	
A) 628 N-m B) 62.8N-m C) 125.6 N-m D) 1256 N-m			
38) Twisting moment is a moment applied in the plane of cross section acting	[]	
A) along longitudinal axis B) about longitudinal axis C) about neutral axis D) none			
39) In a shaft subjected to pure twist, the shear stress at any section is maximum at	[]	
A) center of section B) mid radius C) surface D) none			
40) Polar moment of inertia is	[]	
A) the moment of inertia an axis in the plane of cross section			
B) the product of inertia C) about the axis of member D) none			

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